

# Modularising and Promoting Interoperability for Event-B Specifications using Institution Theory



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## Introduction & Motivation

Event-B is an industrial-strength language for system-level modelling and verification that combines an event-based logic with basic set theory.

- Event-B supports formal refinement, which allows a developer to write an abstract specification of a system and gradually add complexity.
- The *Rodin Platform*, an IDE for Event-B, ensures the safety of system specifications and refinement steps by generating appropriate proof-obligations, and then discharging these via support for various theorem provers [2].

### Limitations of Event-B

**Modularity:** Event-B lacks well-developed modularisation constructs and it is not easy to combine specifications in Event-B with those written in other formalisms [1]. Notice how, in Figure 1 the same specification has to be provided twice. The events `set_peds_go` and `set_peds_stop` are equivalent, modulo renaming of variables, to `set_cars_go` and `set_cars_stop`.

**Interoperability:** When developing software using Event-B, it is at least necessary to transform the final concrete specification into a different language to get an executable implementation. Current approaches to interoperability in Event-B consist of a range of *Rodin*-based plugins to translate to/from Event-B, but these often lack a solid logical foundation.

### Adding Event-B to the theory supermarket

- We have identified the theory of institutions as a suitable metalogical framework in which to provide a specification of the Event-B specification language.
- In order to represent a formalism/logic using institutions, the syntax and semantics for the formalism must first be defined and verified in a uniform way using some basic constructs from category theory [3].
- It is necessary to verify that the resulting metalogical structure is actually a valid institution. This is ensured by proving the satisfaction condition which states in formal terms the basic maxim of institutions, that “truth is invariant under change of notation”.

```

1 MACHINE mac1
2 VARIABLES
3   cars_go, peds_go
4 INVARIANTS
5   inv1: cars_go ∈ BOOL
6   inv2: peds_go ∈ BOOL
7   inv3: ¬ (peds_go = true ∧ cars_go = true)
8 EVENTS
9   Initialisation
10    act1: cars_go := false
11    act2: peds_go := false
12   Event set_peds_go ≐
13     when grd1: cars_go = false
14     then act1: peds_go := true
15   Event set_peds_stop ≐
16     act1: peds_go := false
17   Event set_cars_go ≐
18     when grd1: peds_go = false
19     then act1: cars_go := true
20   Event set_cars_stop ≐
21     act1: cars_go := false

```

**Fig. 1:** Event-B machine specification for a traffic system, with each light controlled by boolean flags.

## Building an Institution for Event-B, $\mathcal{EVT}$

Our institution,  $\mathcal{EVT}$ , for Event-B consists of the following definitions:

- A signature over  $\mathcal{EVT}$  describes the permitted vocabulary to use when writing Event-B specifications, consisting of names for sorts, operations, predicates, events and variables. Signature morphisms provide a mechanism for moving between vocabularies and mapping the corresponding sentences and models in a similar fashion.
- A sentence over  $\mathcal{EVT}$  is an Event-B specification written using this vocabulary. Such sentences can be evaluated in a model.
- An  $\mathcal{EVT}$  model consists of possible before-after value pairs for each variable in each event.

Further details and proofs can be found on our website:

<http://www.cs.nuim.ie/~mfarrell>

### A Modular Traffic Light System

By defining  $\mathcal{EVT}$  and carrying out the appropriate proofs, we gain access to an array of generic specification building operators [3]. These facilitate the combination (`and`, `+`, `U`), extension (`then`), hiding (`hide via`, `reveal`) and renaming via signature morphism (`with`) of specifications. Thus  $\mathcal{EVT}$  provides a means for writing down and splitting up the components of an Event-B system, facilitating increased modularity for Event-B specifications. Figure 2 is a presentation (set of sentences) over the institution  $\mathcal{EVT}$  corresponding to the Event-B machine `mac1` defined in Figure 1.

### Our Contributions

**Modularity:** Representing Event-B in this way provides us with a mechanism for combining and parameterising specifications. Most importantly, these constructs are formally defined, a crucial issue for a language used in formal modelling.

**Interoperability:** Institution comorphisms can be defined enabling us to move between different institutions, thus providing a mechanism by which a specification written over one institution can be represented as a specification over another. Devising meaningful institutions and corresponding morphisms to/from Event-B provides a mechanism for not only ensuring the safety of a particular specification but also, via morphisms, a platform for integration with other formalisms and logics.

```

1 spec TwoBools over FOPEQ
2   BOOL then
3     ops   i_go, u_go : Bool
4     preds ¬ (i_go = true ∧ u_go = true)
5 spec LIGHTABSTRACT over EVT
6   TwoBools then
7     Initialisation
8     act1 : i_go := false
9     Event set_go ≐
10      when grd1: u_go = false
11      then act1: i_go := true
12     Event set_stop ≐
13      then act1: i_go := false
14 spec MAC1 over EVT
15 (LIGHTABSTRACT with σ1) and (LIGHTABSTRACT with σ2)
16 where
17   σ1 = {i_go ↦ cars_go, u_go ↦ peds_go,
18         set_go ↦ set_cars_go, set_stop ↦ set_cars_stop}
19   σ2 = {i_go ↦ peds_go, u_go ↦ cars_go,
20         set_go ↦ set_peds_go, set_stop ↦ set_peds_stop}

```

**Fig. 2:** A modular institution-based presentation corresponding to the abstract machine `mac1` in Fig 1.

[1] A. Iliassov, E. Troubitsyna, L. Laibinis, A. Romanovsky, K. Varpaaniemi, D. Ilic, and T. Latvala. Supporting reuse in Event-B development: Modularisation approach. In *Abstract State Machines, Alloy, B and Z*, volume 5977 of *LNCS*, pages 174–188. 2010.

[2] M. Jastram and P. M. Butler. *Rodin User's Handbook: Covers Rodin V.2.8*. CreateSpace Independent Publishing Platform, USA, 2014.

[3] D. Sanella and A. Tarlecki. *Foundations of Algebraic Specification and Formal Software Development*. Springer, 2012.